

12. Using the curve from Exercise 10, predict  $y$  when  $x = 10$ .  
 13. Using the curve from Exercise 11, predict  $y$  when  $x = 12$ .

For Exercises 14–18, use the data (0, 115.00), (1, 48.33), (2, 26.11), (6, 15.14), (7, 15.05), and (8, 15.02).

14. Make a scatter plot for the data.  
 15. What seems to be the equation of the horizontal asymptote?  
 16. Write  $\log(y - 15)$  as a function of  $x$ .  
 17. Write  $y$  as a function of  $x$ .  
 18. Use your answer to Exercise 16 to predict  $y$  when  $x$  is 1.5.

Explain how to test a set of data for a fit by the given type of curve.

19. exponential curve                      20. power curve

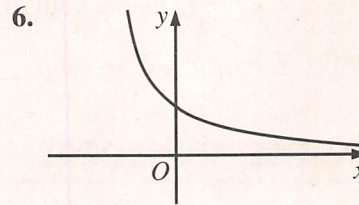
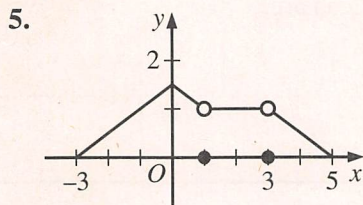
### MIXED REVIEW

Chapters 1–18

Give the domain, range, and zeros of each function.

1.  $f(x) = \sqrt{9 - x^2}$                       2.  $g(t) = |t + 5|$   
 3.  $f(x) = \frac{3x}{x^2 - 25}$                       4.  $h(t) = \frac{1}{t^2 - 10t + 25}$

Tell whether each graph is a function. If it is, give the domain and range.



Find the limit, if one exists, of these infinite sequences.

7.  $\lim_{n \rightarrow \infty} \frac{n^2 - 6n + 1}{3n^2 + 5n - 4}$                       8.  $\lim_{n \rightarrow \infty} e^{1/n}$                       9.  $\lim_{n \rightarrow \infty} \sqrt[n]{\pi}$

For each infinite geometric series, find (a) the interval of convergence and (b) the sum expressed in terms of  $x$ .

10.  $1 - x^2 + x^4 - x^6 + \dots$                       11.  $1 + \frac{3}{x} + \frac{9}{x^2} + \frac{27}{x^3} + \dots$

For Exercises 12–16, use the vectors  $\mathbf{u} = (3, 0, -1)$  and  $\mathbf{v} = (1, 1, 0)$ .

12. Find  $\mathbf{u} \cdot \mathbf{v}$ .                      13. Find  $\mathbf{u} \times \mathbf{v}$ .  
 14. Find the angle between  $\mathbf{u}$  and  $\mathbf{v}$ .  
 15. Find a unit vector perpendicular to both  $\mathbf{u}$  and  $\mathbf{v}$ .  
 16. Find the area of a triangle having  $\mathbf{u}$  and  $\mathbf{v}$  as two of its sides.  
 17. Find the first five terms of the sequence defined recursively by  $t_1 = 2$   
 and  $t_n = \frac{1}{2}t_{n-1}^2 - 1$ .  
 18. Repeat Exercise 20 using  $t_1 = 4$ .